

Capital Flows and Foreign Exchange Intervention

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This paper studies the use of **FXI** in response to **capital flow shocks**

- **Why?** Portfolio inflows generate inefficient boom-bust cycles
 - Optimal FXI leans against the wind and stabilizes the ex rate
 - 1 dynamic terms of trade manipulation
 - 2 improve output/inflation trade-off
 - 3 sustain exports (if monetary policy not available)
 - Monetary policy and FXI are complements not substitutes
- **How?** Optimal FXI rule as a function of 3 targets
 - 1 wedge in Backus-Smith condition
 - 2 net foreign assets
 - 3 foreign reserves level
- **How much?** Calibrate and estimate the model using Swiss data
 - A cap inflow of 16% of GDP appreciates franc 6% nominal, 3% real
 - Optimal FXI reduces exchange rate fluctuations by 2/3

- Continuous time, infinite horizon, NK Small Open Economy
- The representative Home household maximizes

$$\mathbb{E} \left[\int_0^{\infty} e^{-\rho t} \left(\ln C - \frac{L^{1+\varphi}}{1+\varphi} \right) dt \right]$$

where consumption is given by $C \equiv C_H^{1-\alpha} C_F^\alpha$

- A continuum of firms $j \in [0, 1]$ produce differentiated goods

$$Y_j = L_j$$

and set prices in domestic currency $P_{H,j}^* = \frac{P_{H,j}}{\varepsilon}$

- Home households can only hold/issue bonds in domestic currency
- Must trade with **international financial intermediaries**
 - Financiers intermediate flows at a premium

$$\hat{Q}_H = \frac{i - i^* - \mu_{\mathcal{E}}}{\gamma \sigma_{\mathcal{E}}^v}$$

- A fraction β of intermediaries are owned by Home households
- Home central bank can hold foreign reserves:

$$\hat{X}_H + \mathcal{E} \hat{X} = 0$$

Model

The UIP Equation

- Market clearing in Home bond market requires:

$$\underbrace{\hat{A}}_{\text{Home HHs}} + \underbrace{\hat{Q}_H}_{\text{Intermediaries}} + \underbrace{\hat{X}_H}_{\text{Central Bank}} + \underbrace{\hat{F}_H^*}_{\text{Foreign HHs}} = 0$$

- Arbitrage condition between Home and foreign bonds

$$i - i^* - \mu_{\mathcal{E}} = -\gamma\sigma_{\mathcal{E}}^v \left(\underbrace{\hat{A}}_{\text{CA Flow}} + \underbrace{\hat{F}_H^*}_{\text{Portfolio Flow}} + \underbrace{\hat{X}_H}_{\text{Intervention}} \right)$$

- Deviations from UIP are proportional to [global imbalances](#)

Define the **consumption wedge** as

$$Q \Lambda = (C^*/C)^{-1}$$

Its law of motion is

$$\frac{d\Lambda}{\Lambda} = \left[\underbrace{i - i^* - \mu_{\mathcal{E}}}_{\Delta UIP} + \sigma_{\mathcal{E}}^2 + \sigma_{\Lambda} (\sigma_{\mathcal{E}} + \sigma_{\Lambda}) \right] dt + \sigma_{\Lambda} dZ$$

Link between deviations from UIP and real variables:

Cap Outflow $\implies \Delta UIP > 0 \implies \Lambda \downarrow \implies C \downarrow$ and $Q \uparrow$

Cap Inflow $\implies \Delta UIP < 0 \implies \Lambda \uparrow \implies C \uparrow$ and $Q \downarrow$

Equilibrium and Planner Problem

The planner chooses foreign reserves \hat{x} and interest rate i to min

$$\mathbb{L} = \frac{1}{2} \int_0^{\infty} e^{-\rho t} (\phi_x \hat{x}^2 + \phi_\lambda \lambda^2 + \phi_\pi \pi_H^2 + \phi_y y^2) dt$$

$$d\lambda = -\gamma (\hat{a} + \hat{f}_H^* - \hat{x}) dt$$

$$d\hat{a} = (\rho \hat{a} - \alpha \lambda) dt$$

$$dy = (i - \rho - \pi_H) dt - \alpha d\lambda$$

$$d\pi_H = [\rho \pi_H - \kappa (1 + \varphi) y - \alpha \kappa \lambda] dt$$

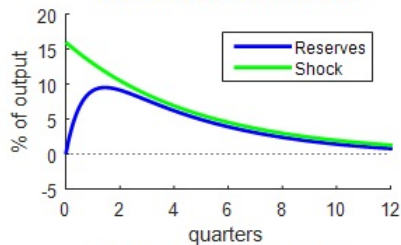
with $d\hat{f}_H^* = -\varrho \hat{f}_H^* dt$. Fluctuations in λ cause 3 types of welfare cost

- 1 lower PDV of consumption stream (direct cost)
- 2 raise real wage and shift Phillips curve (indirect cost)
- 3 alter foreign currency prices (indirect cost, price rigidity)

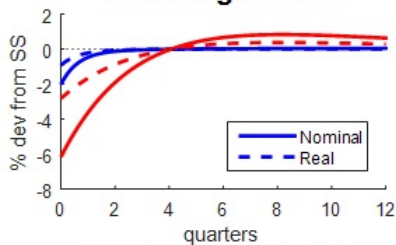
Optimal FX Intervention

Flexible Prices

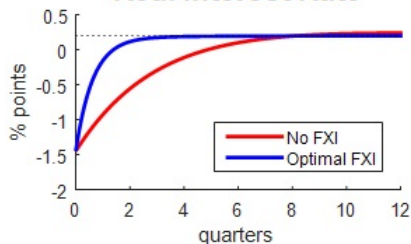
Reserves & Shock



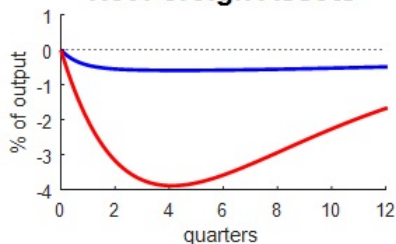
Exchange Rates



Real Interest Rate



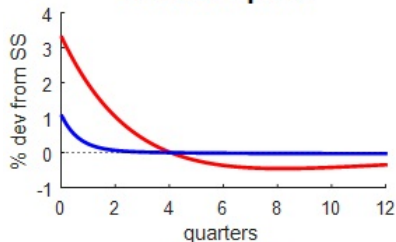
Net Foreign Assets



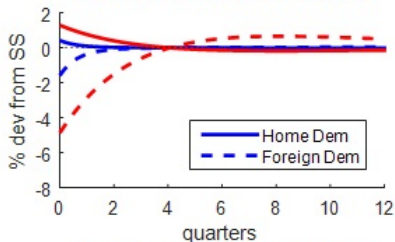
Optimal FX Intervention

Flexible Prices

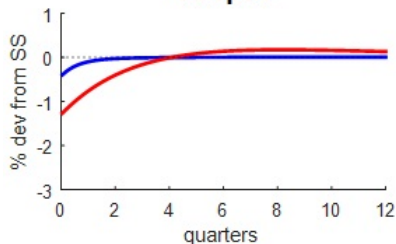
Consumption



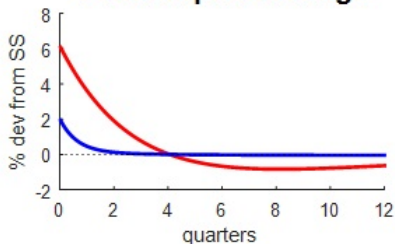
Home Goods Demand



Output



Consumption Wedge



Optimal FX Intervention

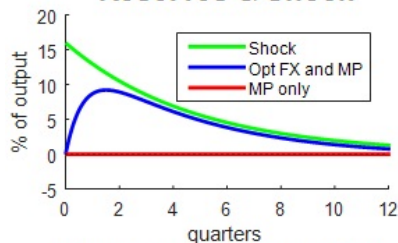
Flexible Prices

- Portfolio flow shocks cause boom-bust cycles in output and consumption
- The central bank wants to smooth out consumption fluctuations and stabilize terms of trade (ToT)
- An increase in domestic consumption appreciates ToT through:
 - 1 Home-bias effect → increases domestic demand
 - 2 wealth effect → increases wages
- Welfare cost of ToT fluctuations:
 - 1 consumption wedge → reduce PDV of output
 - 2 output gap

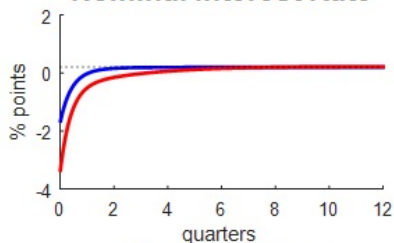
Optimal FXI and Monetary Policy

Sticky Prices

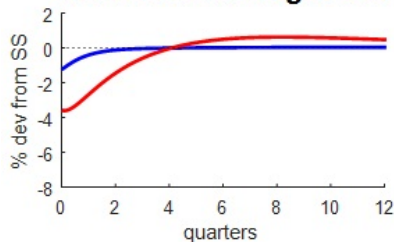
Reserves & Shock



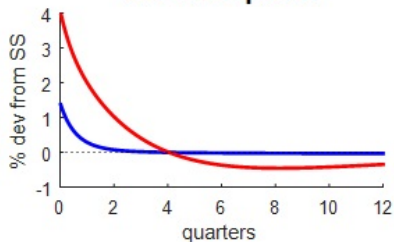
Nominal Interest Rate



Nominal Exchange Rate



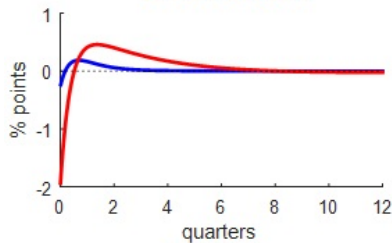
Consumption



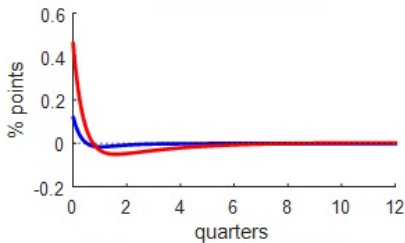
Optimal FXI and Monetary Policy

Sticky Prices

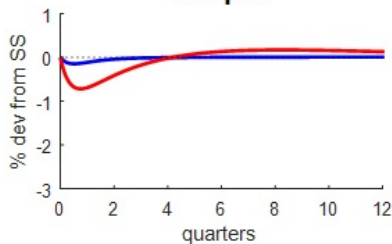
CPI Inflation



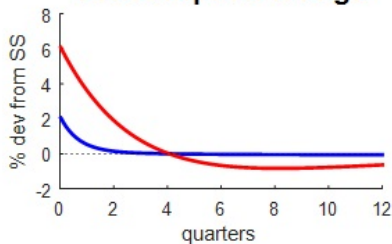
PPI Inflation



Output



Consumption Wedge



The central bank optimally uses both tools

- Foreign exchange interventions
 - dynamic ToT manipulation
 - improve output/inflation trade-off
 - can support exports (if MP is not available)
- Monetary policy
 - more effective (cheaper) to stabilize output
 - does not affect λ
- Without wealth effect monetary policy fully stabilizes output

Optimal FX Intervention

FX Intervention Rule

- The optimal intervention rule has three **implicit targets**:

$$d\hat{x} = \psi_\lambda \lambda dt + \psi_a \hat{a} dt + \psi_x \hat{x} dt$$

with $x(0) = 0$ and

$$\psi_\lambda > 0 \quad \psi_a < 0 \quad \psi_x < 0$$

- Comparative static results

$$\frac{\partial |\psi_\lambda|}{\partial \gamma} < 0 \quad \frac{\partial |\psi_a|}{\partial \gamma} > 0 \quad \frac{\partial |\psi_x|}{\partial \gamma} > 0$$

$$\frac{\partial |\psi_\lambda|}{\partial \rho} > 0 \quad \frac{\partial |\psi_a|}{\partial \rho} > 0 \quad \frac{\partial |\psi_x|}{\partial \rho} < 0$$

Estimate VAR using quarterly data for Switzerland 1999:1 to 2011:3

$$Z_t = BZ_{t-1} + u_t$$

where $u_t = W\varepsilon_t$, W^{-1} is lower triangular, and

$$Z_t = [y_t^* \quad vix_t^* \quad q_t \quad d\hat{a}_t \quad y_t]^\top$$

with

- y^* real EU GDP (EUROSTAT)
- vix^* EURO STOXX 50 Volatility index (VSTOXX)
- q real franc/euro exchange rate (SFSO and EUROSTAT)
- $d\hat{a}$ net nonofficial capital outflows (IMF Financial Flows Analytics Database)
- y real Swiss GDP (SFSO)

Empirical Evidence

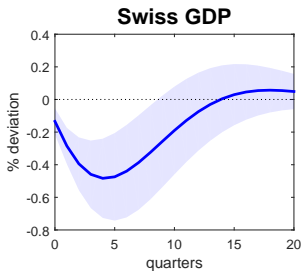
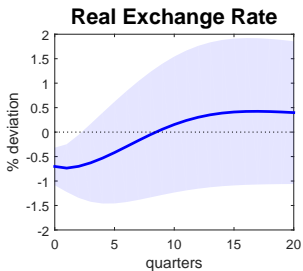
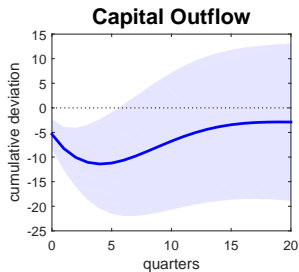
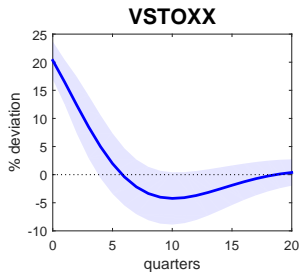


Table 1: Calibration

Parameter	Description	Value	Source/Target
ρ	Intertemporal discount factor	0.002	Annual real interest rate
ω	Inverse elasticity of intertemporal substitution	1	Rudolf and Zurlinden (2014)
φ	Inverse elasticity of labor supply	1	Rudolf and Zurlinden (2014)
η	Elasticity of substitution domestic/foreign goods	1	Bäurle and Menz (2008)
α	Weight of foreign goods in total consumption	0.42	Average exp and imp shares
θ	Calvo parameter	0.75	Average price duration
ϵ	Elasticity of substitution across varieties	6	Gali and Monacelli (2005)
ψ_y	Output stabilization weight in Taylor rule	0.4	Markov and Nitschka (2013)
ψ_π	Inflation stabilization weight in Taylor rule	1.6	Markov and Nitschka (2013)
ϱ	Shock mean reversion coefficient	0.21	Author's estimation
ε	Shock size	0.16	Author's estimation
β	Fraction of domestic financial intermediaries	0.995	Cost of holding reserves

Match empirical and theoretical IRFS to estimate γ and χ where

$$\hat{f}_H^* = \chi vix^*$$

Parameter	Description	Value	S. E.
γ	Financial sector inverse aggregate risk-bearing capacity	0.194	0.082**
χ	Proportionality between vix and foreign demand for domestic assets	0.764	0.340**

A one-standard deviation shock to VSTOXX index causes:

- a surge in demand for Swiss assets equal to 16% of Swiss GDP
- an appreciation of the franc equal to 6% nominal and 3% real
- the optimal FXI reduces ex rate fluctuations by 2/3
- the optimal FXI accumulates reserves up to 10% of GDP

In the paper, financial integration constraints domestic MP

- Fin integration opens the door to cap flow shocks
- Cap flow shocks worsen the output/inflation trade-off

[Cavallino & Sandri \(2017\)](#): fin integration limits MP independence

- Carry-trade outflows induce credit crunch
- Expansionary Lower Bound (ELB): global fin conditions, US MP
- Capital controls, FXI, etc. to regain monetary space (one target)