Discussion of Caspi, Friedman and Ribon (2017): "The Immediate Impact and Persistent Effect of FX Purchases on the Exchange Rate"

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Main comments:

- Emphasizing persistence is important
- 2 Robust methodology able to detect complex decay patterns
- Impact potentially underestimated due to endogeneity bias

















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■ Selection on variables → include  $u_{1t}$  in  $\mathcal{X}_t$ ?



#### Example of potentially endogenous intervention



# Simulation study of endogeneity bias

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- Random component u<sub>1t</sub> and u<sub>3t</sub>
- HAC standard errors
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## Bias or decay in empirical results?



Endogenity bias  $(u_{1t})$  or decay on same day  $(u_{3t})$ ?

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- Direct identification of FXI as change in exchange rate does not address intervention efficiency.
- Interesting theoretical discussion about portfolio balance versus signaling channel, but little connection to empirical results.
- Why not identifying the shock on the NEER instead of USDILS? Weight of USDILS in NEER will result in coefficients below 1 as well.